

I

VC

- S

FC

?

	<i>FC</i>	<i>S</i>	<i>VC</i>
30	28774,16	177665,8	35537,68

S - VC = FC
S = VC + FC

:

	Smin
30	64311,84

:

2

VC

- F

	<i>FC</i>	<i>VC</i>	<i>P</i>
30	125773,8	187,36	208,36

VC

- FC

$$\begin{aligned}
 Q * VC + FC &= P * Q \\
 Q (VC - P) + FC &= 0 \\
 Q &= - FC / (VC - P) \\
 \min (&) = P * Q
 \end{aligned}$$

Q-

	<i>Q</i>	min()
30	5989,23	1247915,57

1247915,57

3

FV , ***t*** .

(1)

; (2) ?

	<i>N</i>	<i>I</i>	<i>FV</i>
30	8,00	11,16%	105498,65

1)

$$FV_t = PV_0(1+k)^t$$

$$k = 1 / 100\%$$

$$PV_0 = 105498,65 / (1 + 0,1116)^8$$

	<i>IC</i>
30	45254,17

45254,17

2)

$$FV_t = PV_0 * k * t + PV_0$$

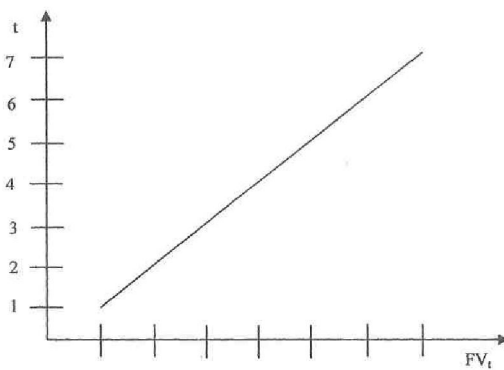
$$FV_t = PV_0(1+k*t)$$

$$PV_0 = 105498,65 / (1 + 0,8928)$$

	<i>IC</i>
30	55736,82

55736,82

ГРН.



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$FV(1)$, (1)
 $FV(2)$, (2) , ,

	$FV(1)$	$n(1)$	$FV(2)$	$n(2)$	i
30	595,16	3	636,23	8	31,00%

$$PV_0 = FVt / (1+k)^t$$

k	$(1+k)$	$(1+k)^{n(1)}$	$(1+k)^{n(2)}$
0,31	1,3100	2,248091	8,67302

$$PV_1 = FV_1 / (1+k)^{n(1)}$$

$$PV_2 = FV_2 / (1+k)^{n(2)}$$

$$PV_0 = PV_1 + PV_2$$

	PV_1	PV_2	PV_0
30	264,74	73,36	338,10

$FV(1)$, (1)
 $FV(2)$, (2) , ,
 i 338,10 ..

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FV(1)

t(1)

FV(2)

t(2)

	<i>FV(1)</i>	<i>t(1)</i>	<i>FV(2)</i>	<i>t(2)</i>	<i>i</i>
30	591,01	3	631,78	8	31,00%

$1/(1+k)$	$1/(1+k)^2$	$1/(1+k)^3$
0,7634	0,582717	0,444822

$$PVA_n = PMT \sum_{t=1}^n \left(\frac{1}{1+k} \right)^t = PMT (PVIFA_{k,n})$$

$$PVA_{t1} = FV(1) * PVIFA_{i,t1}$$

	<i>PVIFA</i>	<i>PVAa</i>
30	1,7909	1058,44

$$PV(\text{perpetuity}) = \frac{PMT}{k}$$

$$PMT = FV(2)$$

<i>PV(perpetuity)</i>
2038,00

$$PVA = PVA_{t1} + PV(\text{perpetuity})$$

<i>PVA</i>
3096,44

FV(1)

t(1)

FV(2)

t(2)

3096,44 ..

6

NPV

%.

	<i>IC</i>	<i>CF1</i>	<i>CF2</i>	<i>CF3</i>	<i>CF4</i>	<i>CF5</i>	<i>i</i>
30	-12115,68	1968	1975	10000	0	10000	22,00%

' :

() (*NPV*)

(*RR*)

" / "

() / ,

(*NPV*)

NPV =	\sum_t	$\frac{CF_t}{(1+i)^t}$	- <i>IC</i>	
<i>CF_t</i>	грошові потоки за відповідний період			
<i>IC</i>	капітальні вкладення			

	$(1+i)^1$	$(1+i)^2$	$(1+i)^3$	$(1+i)^4$	$(1+i)^5$
30	1,22	1,4884	1,815848	2,215335	2,702708163

	<i>CF1</i>	<i>CF2</i>	<i>CF3</i>	<i>CF4</i>	<i>CF5</i>
30	1613,115	1326,928	5507,069	0	3699,992525

	<i>NPV</i>
30	31,42

<i>NPV</i> > 0	,
<i>NPV</i> < 0	,
<i>NPV</i> = 0	,

NPV > 0 (31.42 > 0)

NPV

NPV

().

(back period -) ,

:

, 1

0	-12115,68	-12115,68
1	1968	-10147,68
2	1975,00	-8172,68
3	10000	1827,32
4	0,00	1827,32
5	10000	11827,32

22 % . ,

2.82 (,

: " " ,

- 8172.68/10000=0,82)

7.

D ,

	<i>IC</i>	<i>CF1</i>	<i>CF2</i>	<i>CF3</i>	<i>CF4</i>	<i>CF5</i>	<i>i</i>
30	-14163,00	20000	0	1000	8000	2000	22,00%

;

() :

$$PI = \frac{CF_t}{(1+i)^t} / IC$$

PI -

CF_t -

IC -

	$(1+i)^1$	$(1+i)^2$	$(1+i)^3$	$(1+i)^4$	$(1+i)^5$
30	1,22	1,4884	1,815848	2,215335	2,702708

	<i>CF1</i>	<i>CF2</i>	<i>CF3</i>	<i>CF4</i>	<i>CF5</i>
30	16393,44	0	550,7069	3611,193	739,9985

	<i>PI</i>
30	1,5036

, :

$$PI > 1,$$

$$PI < 1,$$

$$PI = 1,$$

, > 1(= 1.5036),

NPV.

NPV.

(**D**)

(

(D))).

		(PVIF)		
0	-14163,00	1,0000	-14163,00	-14163,00
1	20000	0,8197	16393,44	2230,44
2	0	0,6719	0,00	2230,44
3	1000,00	0,5507	550,71	2781,15
4	8000,00	0,4514	3611,19	6392,34
5	2000,00	0,3700	740,00	7132,34

22 %.

0.71 (

:" "

- 14163/20000=0,71)

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RR

	<i>IC</i>	<i>CF1</i>	<i>CF2</i>	<i>CF3</i>	<i>CF4</i>	<i>CF5</i>	<i>ia</i>
30	-14163,37	20000	0	1000	8000	2000	22,00%

(**RR**)

IRR = r, **NPV** = f(r) = 0.

$$NPV = C_0 + \frac{C_1}{(1+IRR)} + \frac{C_2}{(1+IRR)^2} + \dots + \frac{C_t}{(1+IRR)^t} = 0.$$

NPV

IRR

(NPV(r)).

$r_a=22\%$

$$NPV = \frac{CF_t}{(1+i)^t} - IC$$

	$(1+i)^1$	$(1+i)^2$	$(1+i)^3$	$(1+i)^4$	$(1+i)^5$
30	1,22	1,4884	1,815848	2,215335	2,702708

	<i>CF1</i>	<i>CF2</i>	<i>CF3</i>	<i>CF4</i>	<i>CF5</i>
30	16393,44	0,00	550,71	3611,19	740,00

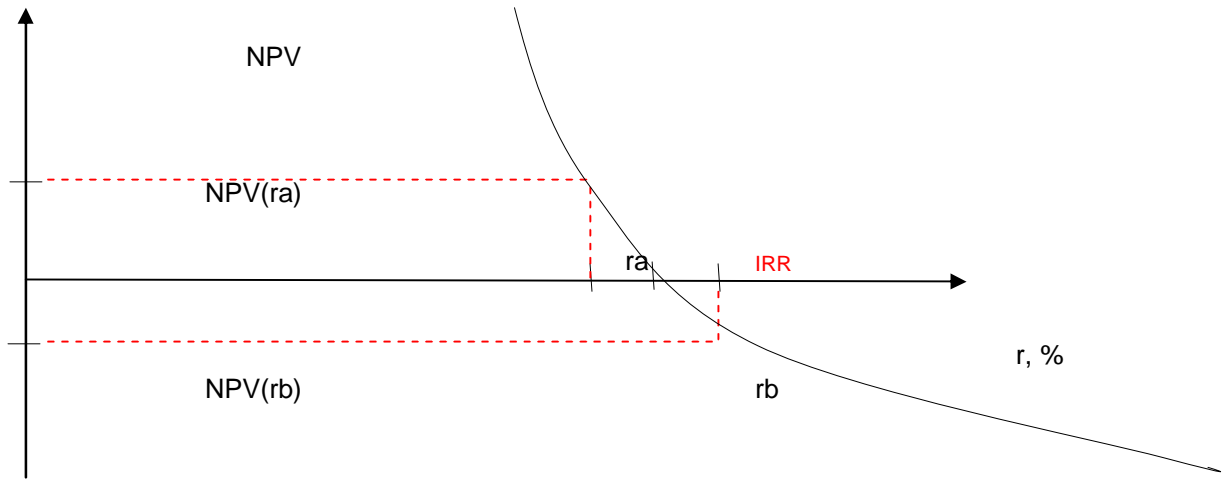
	<i>NPVa</i>
30	7131,97

$r_a=60\%$

	$(1+i)^1$	$(1+i)^2$	$(1+i)^3$	$(1+i)^4$	$(1+i)^5$
30	1,60	2,56	4,096	6,5536	10,48576

	<i>CF1</i>	<i>CF2</i>	<i>CF3</i>	<i>CF4</i>	<i>CF5</i>
30	12500	0	244,1406	1220,70313	190,7349

	<i>NPVb</i>
30	-7,791386719



. 1 IRR
 ,
 ,
 ,
 NPV(r)
 :

$$IRR = r_a + (r_b - r_a) * NPV_a / (NPV_a - NPV_b)$$

	IRR	
30	0,599585319	59,96%

: IRR > ia.

$$r_a > IRR > r_b \quad NPV_a < 0 > NPV_b.$$

RR

RR

9

t-

i% ..

	<i>X</i>	<i>t</i>	<i>i</i>
30	468,09	6	31,00%

$$PVA_n = PMT \sum_{t=1}^n \left(\frac{1}{1+k} \right)^t = PMT (PVIFA_{k,n})$$

PMT = FV

PVA_t = *FV(1)* * *PVIFA_{i,t}*

$1/(1+k)$	$1/(1+k)^2$	$1/(1+k)^3$	$1/(1+k)^4$	$1/(1+k)^5$	$1/(1+k)^6$
0,7634	0,5827	0,4448	0,3396	0,2592	0,1979

	<i>PVIFA_{i,t}</i>	<i>PVA_t</i>
30	2,587527	1211,20

1211,20

10

$$T = \dots, \quad N = \dots, \quad Y = \dots$$

$$I = \dots$$

		<i>Y</i>	<i>T</i>	<i>N</i>	<i>I</i>
30	530	800	110	3	95,00%

1)

$$= Y - C - T$$

	(. . .)
30	160

2)

$$= Y - C - T \cdot (1 - 0,25)$$

	(. . .)
30	120

0,25 -

3)

$$= \dots / (C + T)$$

	(. . .)
30	0,25

4)

$$= \dots \cdot (1 + (i/12 \cdot 100))^n$$

	(. . .)
30	666,10